

- update - weights:
 

$v_{-pos} : s_i^{(m)}$ $h_{-pos} : p(z_i = 1   \vec{s}^{(m)})$ $v_{-neg} : \vec{s}^{T(m)}$ $h_{-neg} : \vec{z}^{T(m)}$	$\left. \begin{array}{l} \text{here } (m) \\ \text{is for samples} \\ \text{of the minibatch} \end{array} \right\}$
	$\left. \begin{array}{l} \text{here } (m) \text{ are the} \\ \text{indices for the} \\ \text{generated samples} \end{array} \right\}$

• Sampling Hidden:

→ return  $\vec{z}, \langle \vec{z} \rangle$

• Sampling Visible:

→ return  $\vec{s}, \langle \vec{s} \rangle_{\vec{z}}$

• Sampling:

→ return  $\vec{s}^T, \langle \vec{s} \rangle, \vec{z}^T, \langle \vec{z} \rangle$

- fit - batch: X chain: mit cdt for the sampling  
X: dataset.

Generating clusters: you have to fix

Dim: D (here = 300)

№ of clusters: C ( = 2)

for each cluster:  $h^k$ : rdm  $T \pm \mathbb{R} \rightarrow$  centers of the clusters

You generate  $\mathbb{R}$  conf:  $s_i \leftarrow p(s_i | h^k) \cdot p(h^k)$        $p(h^k) = \frac{1}{C}$

$\beta$  - temperature of the clusters

$$p(s_i | h^k) = \frac{\exp(\beta s_i \cdot h_i^k)}{\sum_{s_i} \exp(\beta s_i \cdot h_i^k)}$$

Then I transform  $s_i$  into 1915 variables

$$s_i \leftarrow \frac{s_i + 1}{2}$$